

Quantum properties of atomic-sized conductors

Nicolás Agraït^a, Alfredo Levy Yeyati^b, Jan M. van Ruitenbeek^{c,*}

N. Agraït et al. / Physics Reports 377 (2003) 81–279

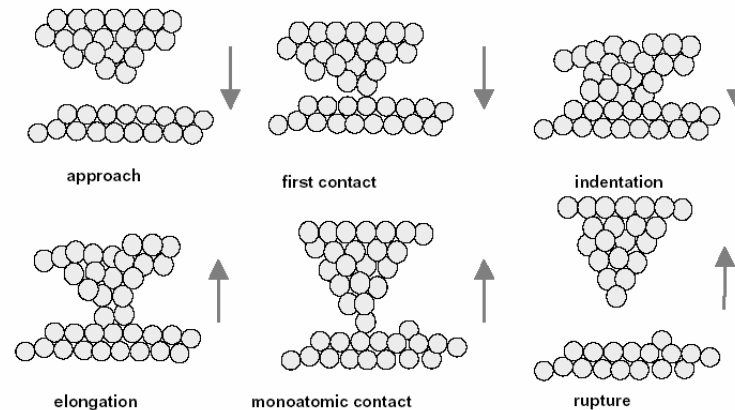
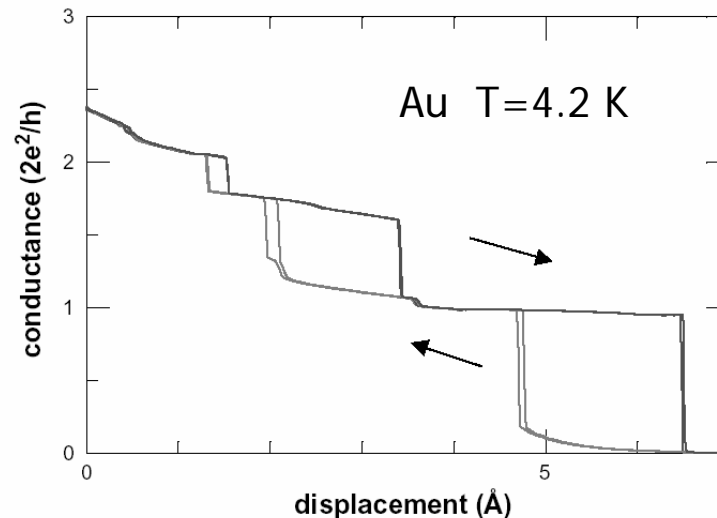


Fig. 3. Cartoon representation of contact fabrication using an STM.

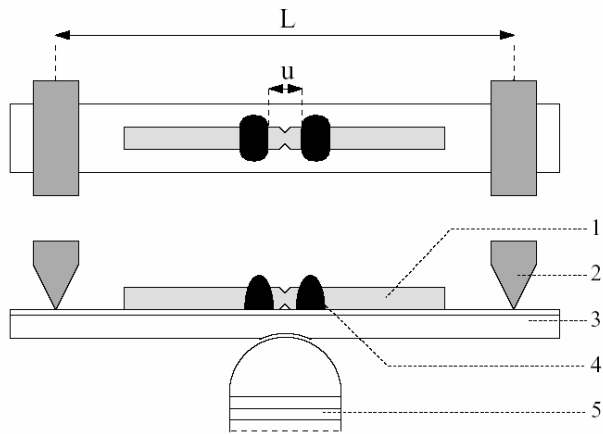


10 – 100 x
yield strength
cf. bulk material

Stable up to 2 V →
Sustain current
densities up to
 $2 \times 10^{15} \text{ A/m}^2$!

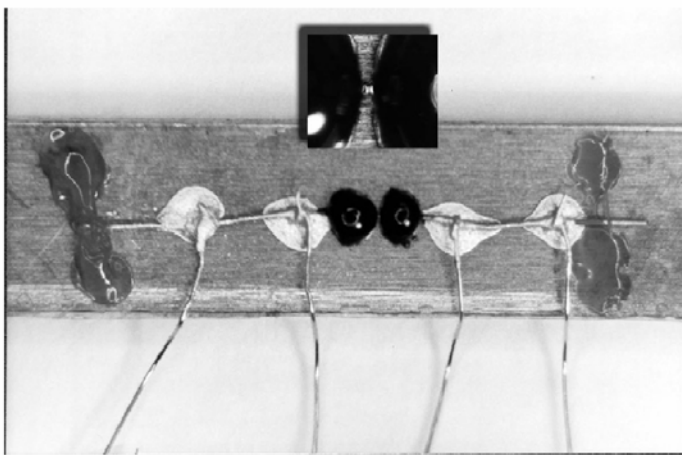
Mechanically controlled break junction (MCBJ) device

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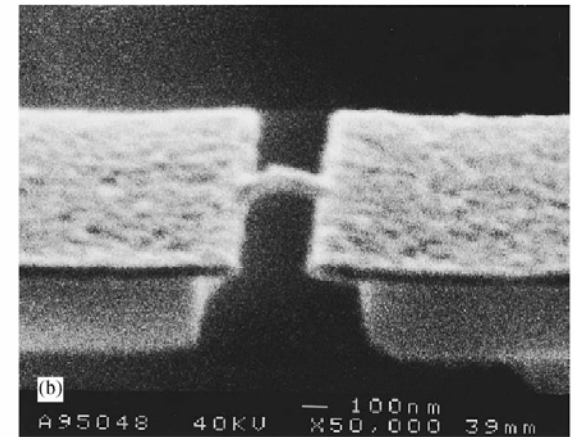
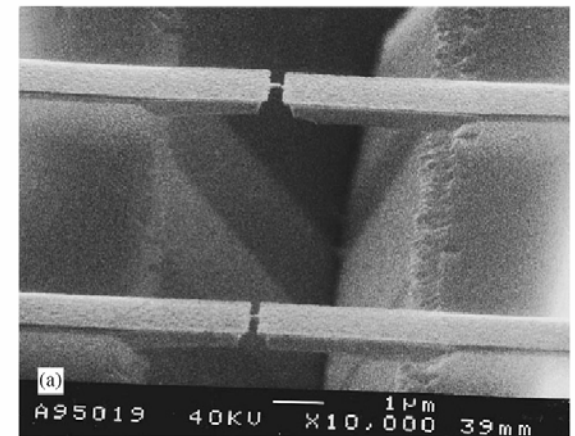


1. notched wire
2. fixed counter supports
3. bending beam
4. epoxy adhesive
5. stacked piezo element

Optical microscope image



4.5 mm



SEM image of Au/SiO₂/Si microfabricated suspended bridge

Reed group Appl. Phys. Lett. 67, 1160 (95)

Do it yourself ! (Foley et al, AJP 67, 389 (99))

Ballistic contacts

Ohm's law

$$G = \sigma S/L$$

does not hold!

$L \ll$ electron elastic mean free path
 → Ballistic transport through the contact
 (scattering only at boundaries)

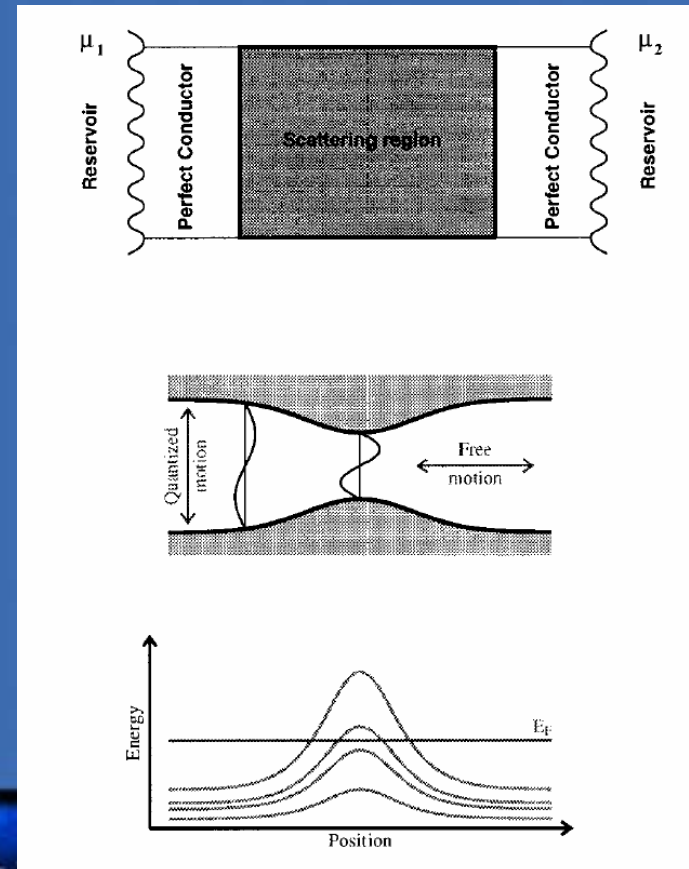
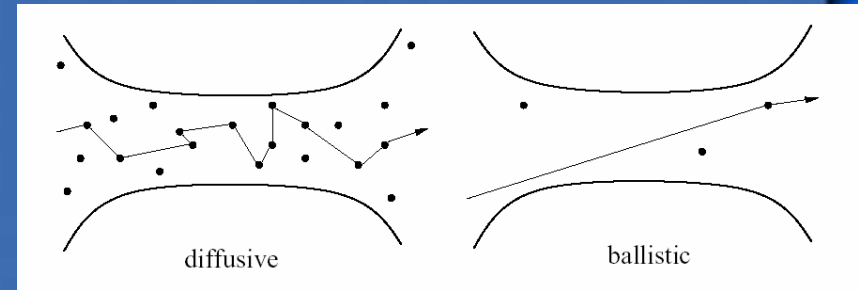
Semiclassically (Sharvin)

$$\mathbf{j}(\mathbf{r}) = \frac{2e}{L^3} \sum_{\mathbf{k}} \mathbf{v}_{\mathbf{k}} f_{\mathbf{k}}(\mathbf{r})$$

→

$$G_S = \frac{2e^2}{h} \left(\frac{k_F a}{2} \right)^2$$

(a is the contact radius)



Conductance eigenchannels

Landauer-Büttiker

$$G = G_0 \text{Tr}[\mathbf{t}^\dagger \mathbf{t}]$$

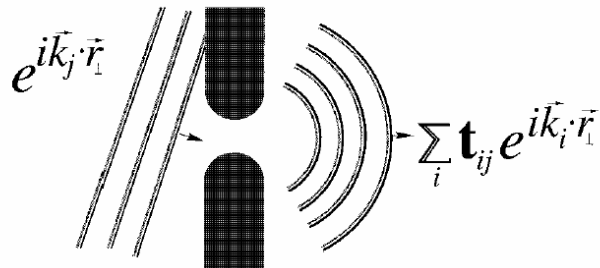
$$G_0 = 2e^2/h$$

$$\mathbf{U}_{\text{out}}^\dagger \mathbf{t} \mathbf{U}_{\text{in}} = \text{diag}\{\sqrt{T_i}\}$$

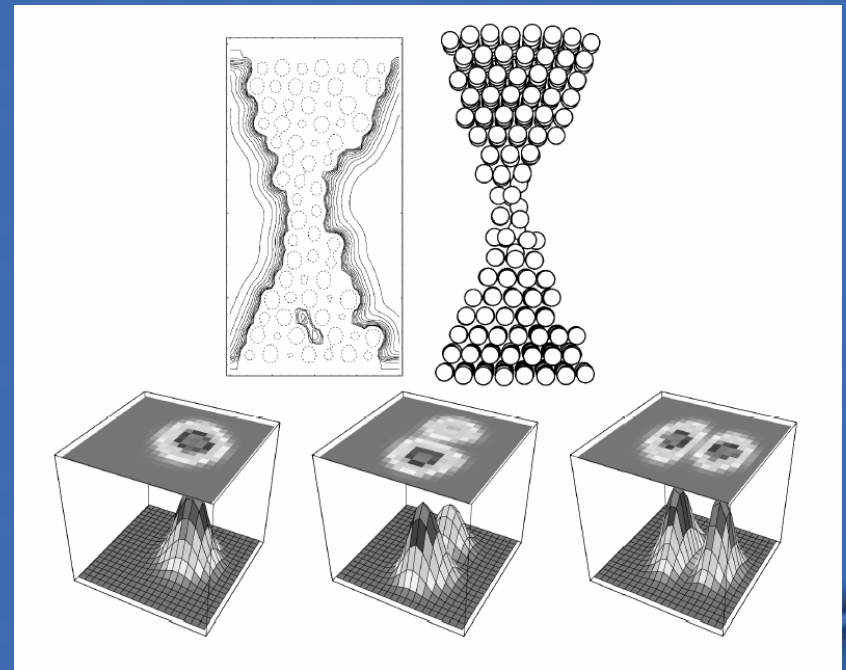
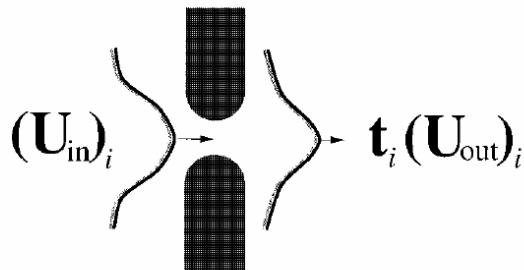
$$\mathbf{U}_{\text{in}}^\dagger \mathbf{t}^\dagger \mathbf{t} \mathbf{U}_{\text{in}} = \text{diag}\{T_i\}$$

$$\mathbf{U}_{\text{out}} = \mathbf{t} \mathbf{U}_{\text{in}} \text{diag}\{1/\sqrt{T_i}\}$$

Plane-wave Basis:



Eigenchannel Basis:



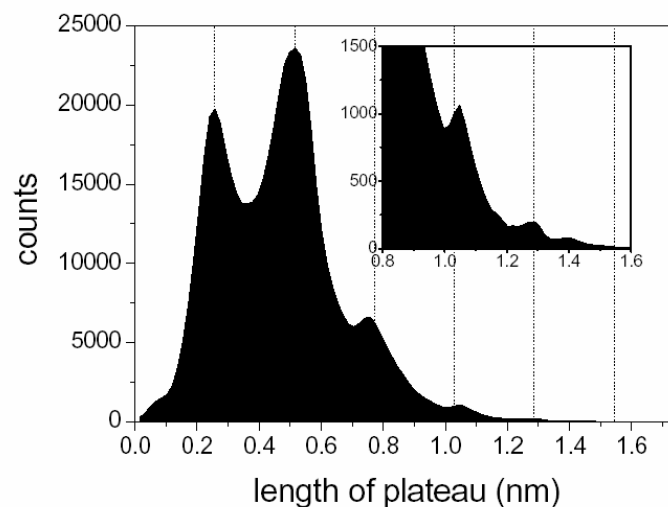
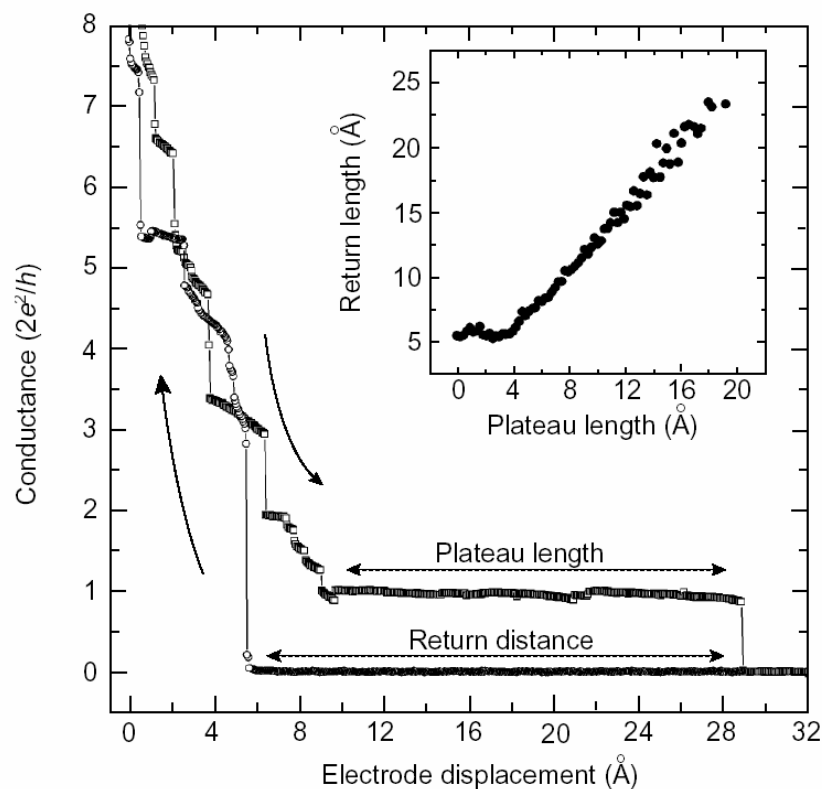
Brandbyge et al, PRB 55, 2637 (97); PRB 56, 14956 (97)

Formation and manipulation of a metallic wire of single gold atoms

A. I. Yanson*, G. Rubio Bollinger†, H. E. van den Brom*, N. Agrait† & J. M. van Ruitenbeek*

Distribution of (calibrated)
1 g0 plateau lengths
About 10 000 traces

PRB 66, 085418 (02)

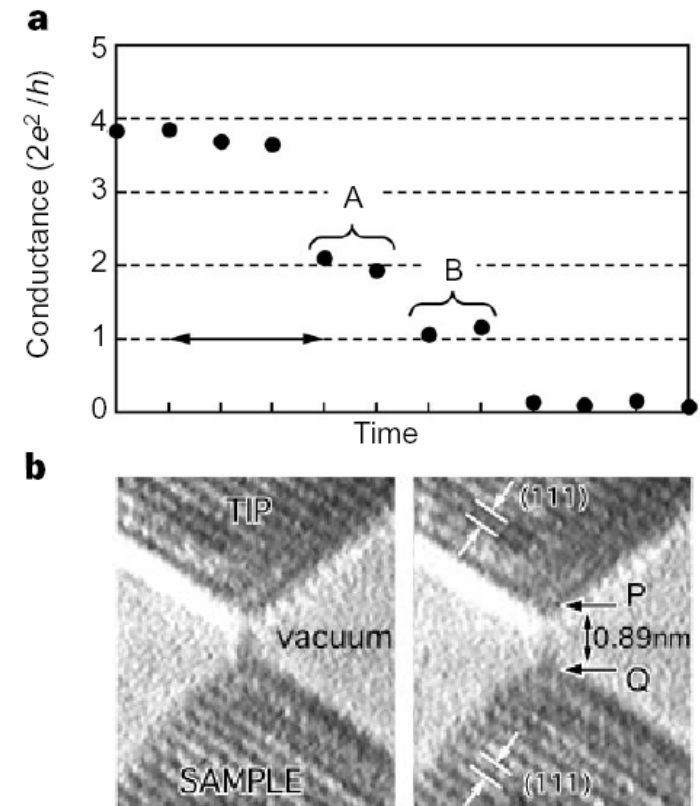
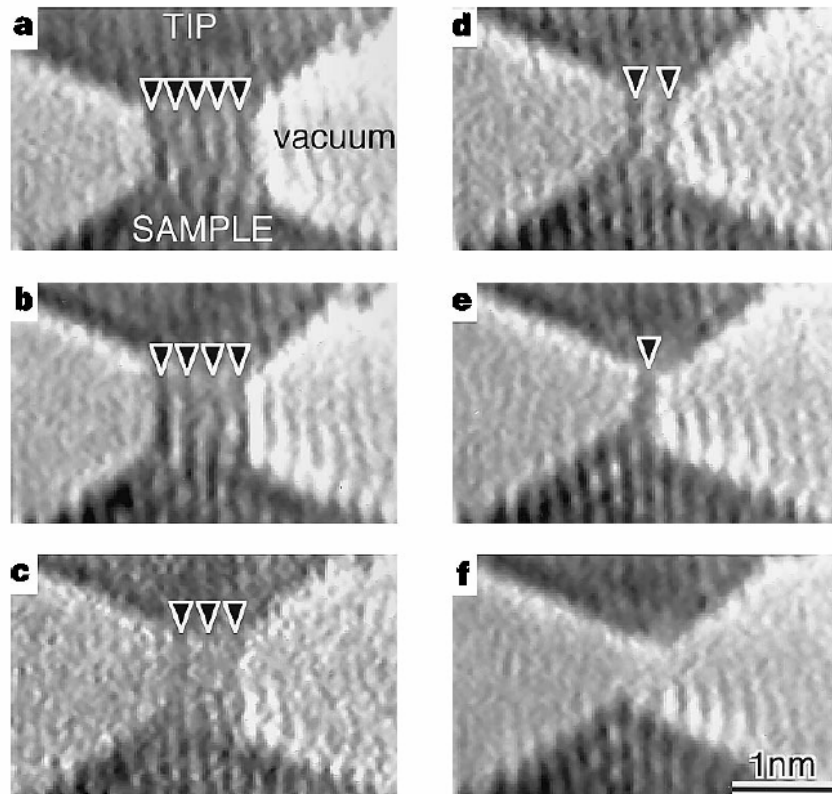


Chains of up to least 5-6 Au atoms
Au-Au distance about 2.6 Å

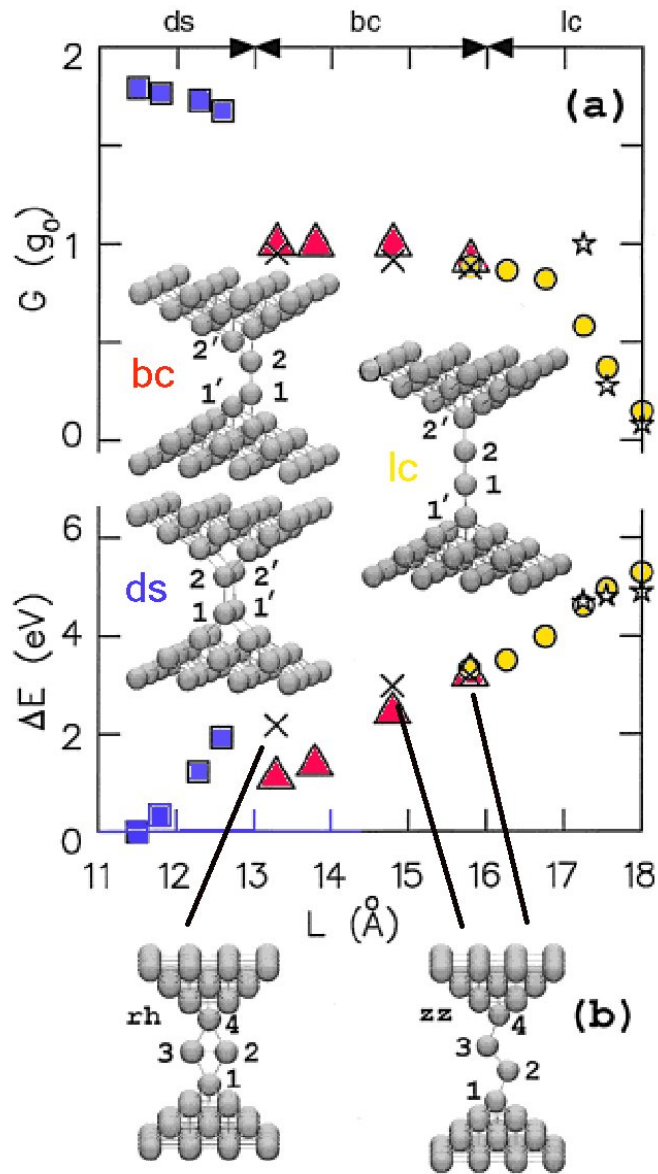
Quantized conductance through individual rows of suspended gold atoms

Hideaki Ohnishi*, Yukihiro Kondo* & Kunio Takayanagi**†

STM tip in UHV with HRTEM



Variety of possible pathways from double strands to rupture



ds – double strand

bc – bent chain

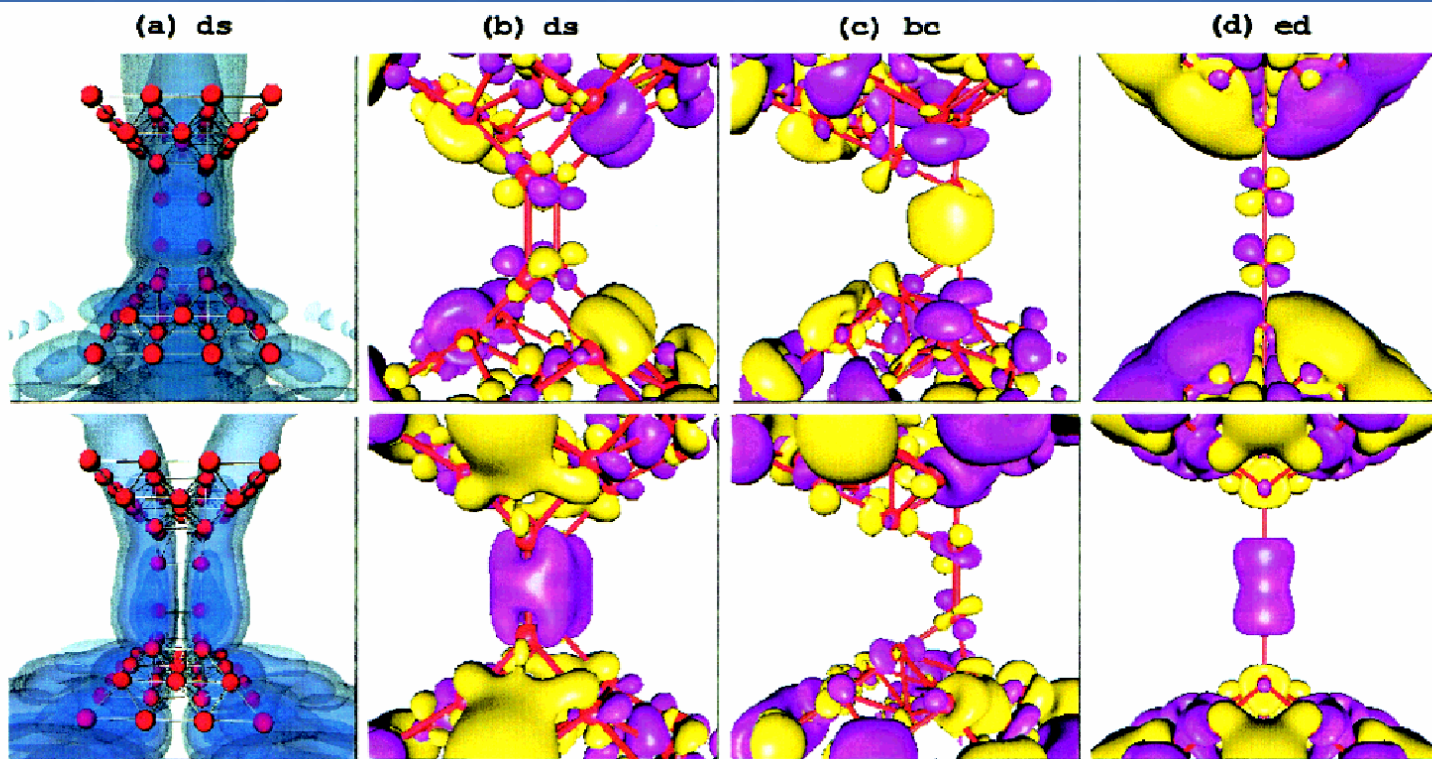
rh – rhombus

zz – zigzag

lc – linear chain, dimerization in the middle or at the ends

pulling force about 4 nN for ds,
1 nN for bc and lc

Conductance channels and orbitals



Ch1: 0.97 g_0
Ch2: 0.7 g_0

Homo
Homo-1

Homo
Homo-1

Homo
Homo-2

How stiff are gold chains?

Rubio-Bollinger et al, PRL 87, 026101 (01)
(calculations Jacobsen group)

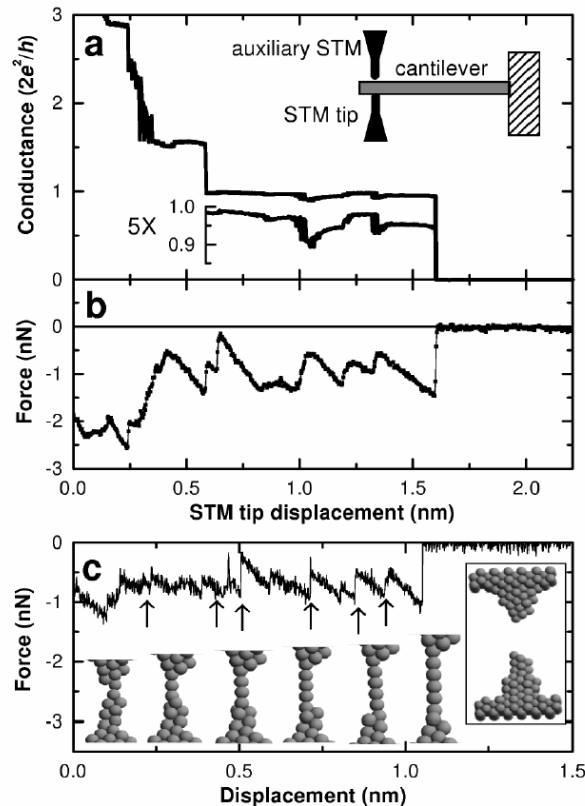
Breaking force of the (1 g_0) chain :

1.5 nN (STM)

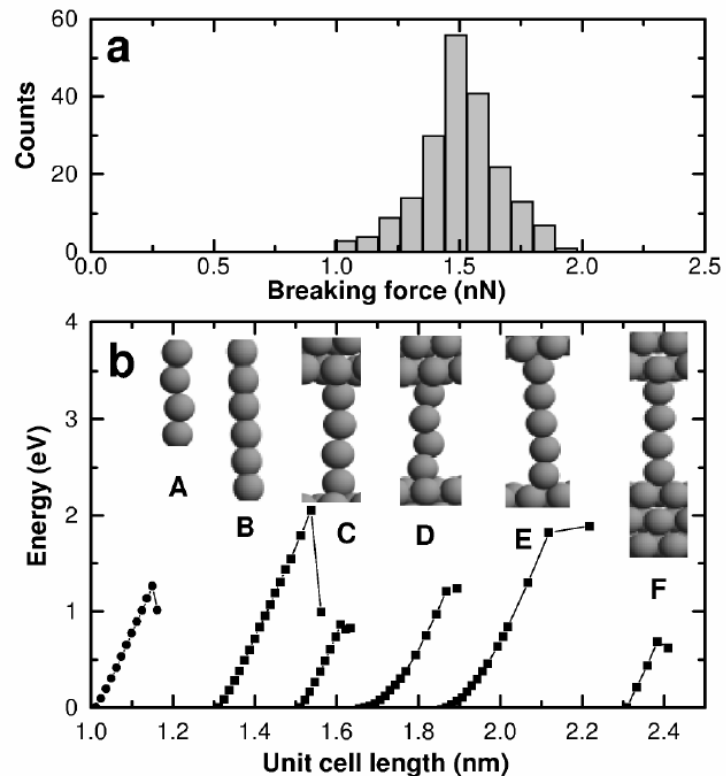
1 nN (classical simulation)

1.5-1.6 nN (DFT) cf. max force per bulk bond 0.7 nN

STM



EMT

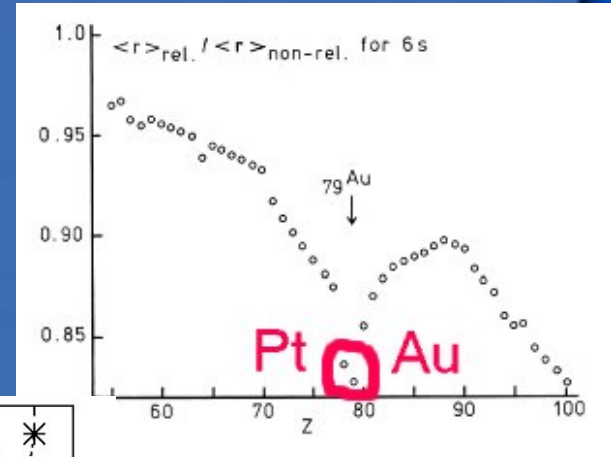
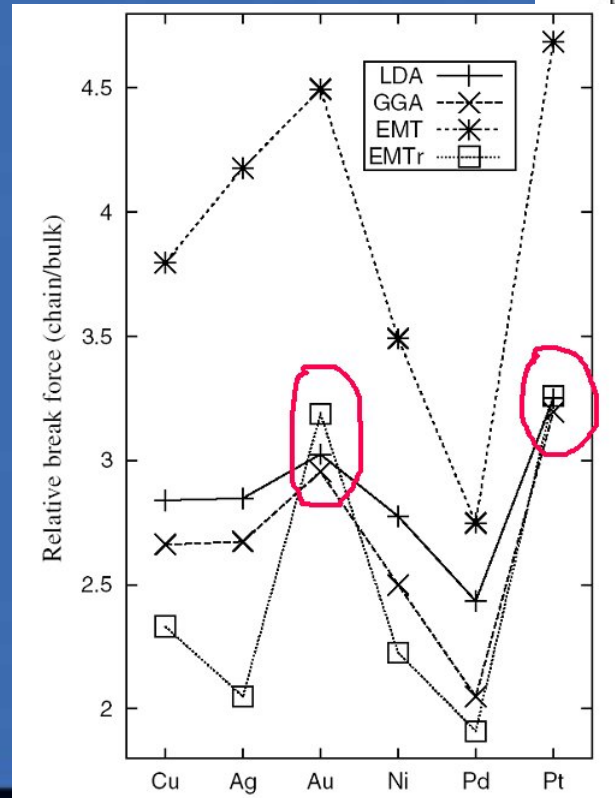
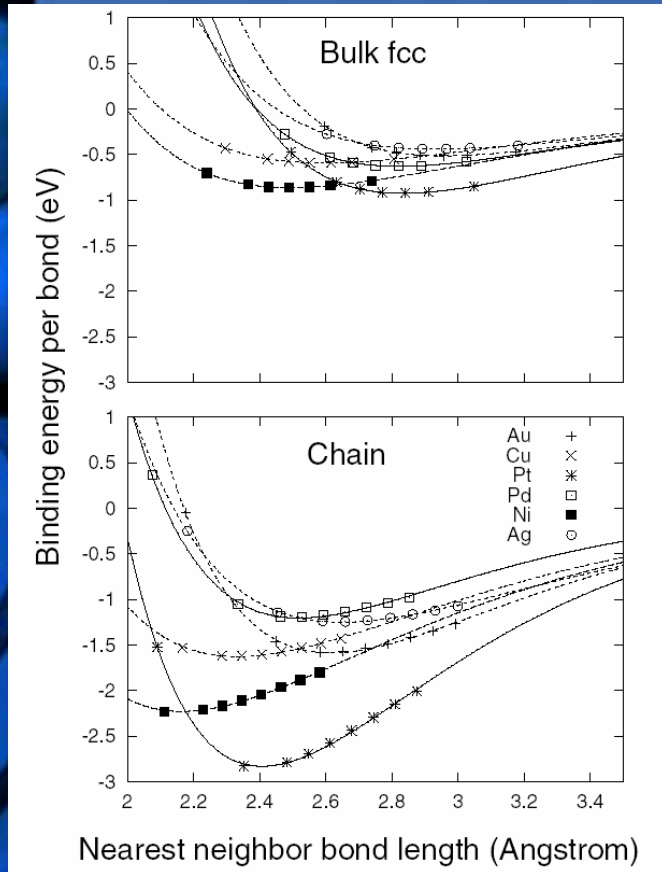


STM

DFT

Anomalously stiff chains of Au and Pt

(← Relativistic bonding effects?)
(← surface reconstruction?)

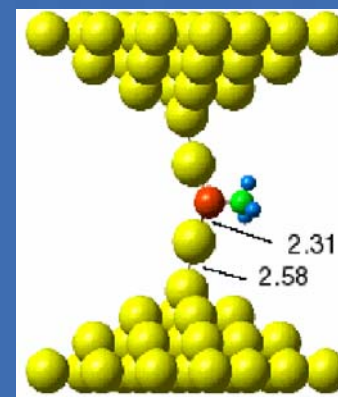
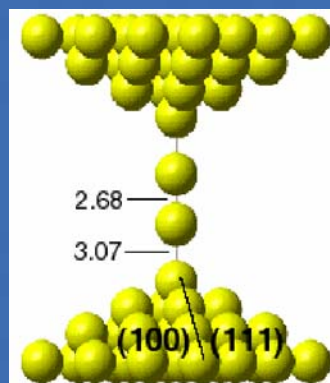
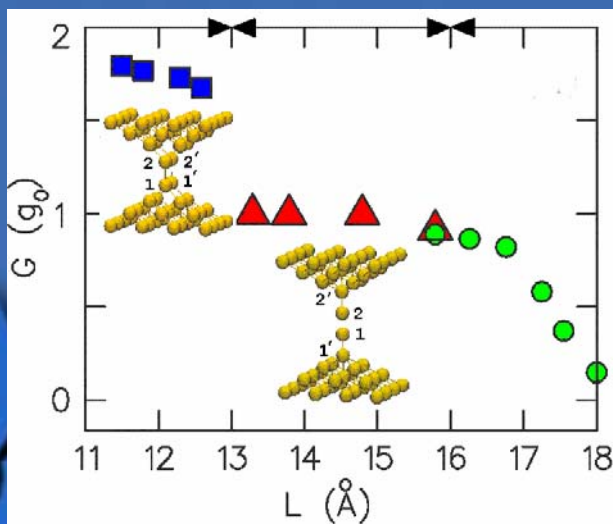


Pyykko et al

Bahn and Jacobsen, PRL 87, 266101 (01)

Gold nanowire chemistry

- reduced dimensions \rightarrow changes in electronic structure
- modified chemical activity
- nanosensors



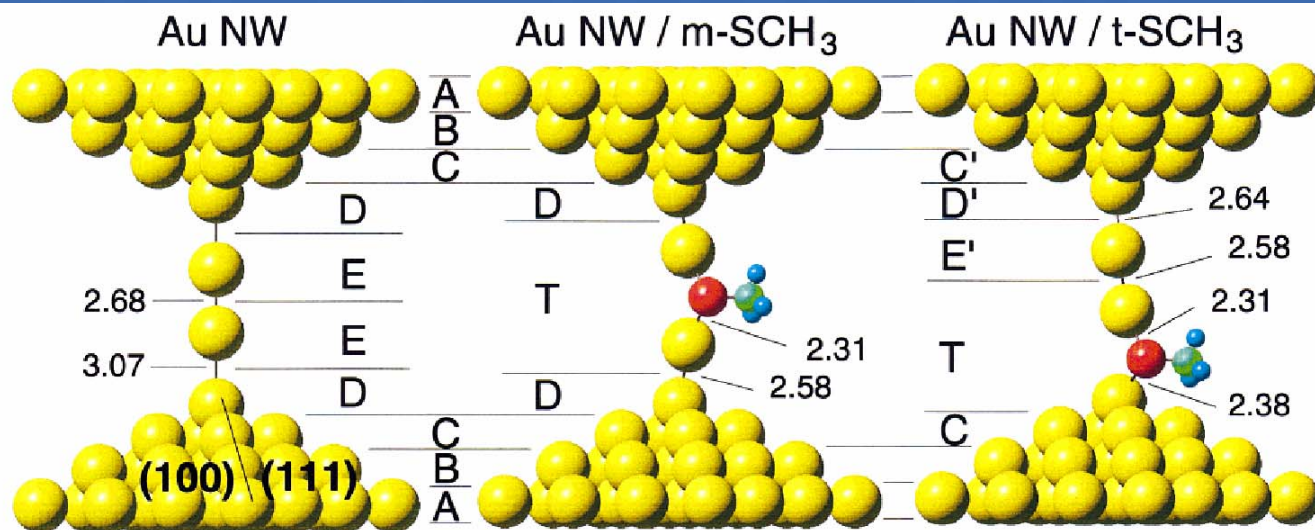
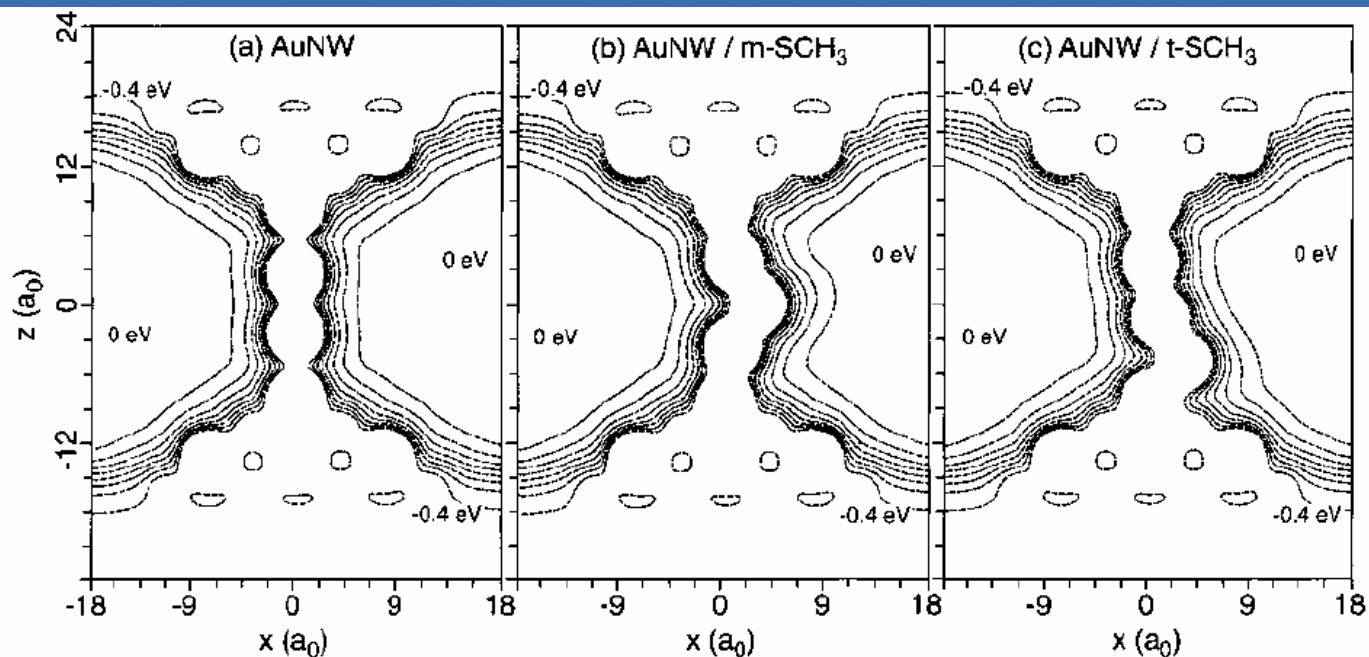
Hakkinen et al, J. Phys. Chem. B **103**, 8814 (99); **104**, 9063 (2000)

Self-consistent local potential and conductance

$G = 0.58 g_0$

$0.82 g_0$

$0.88 g_0$



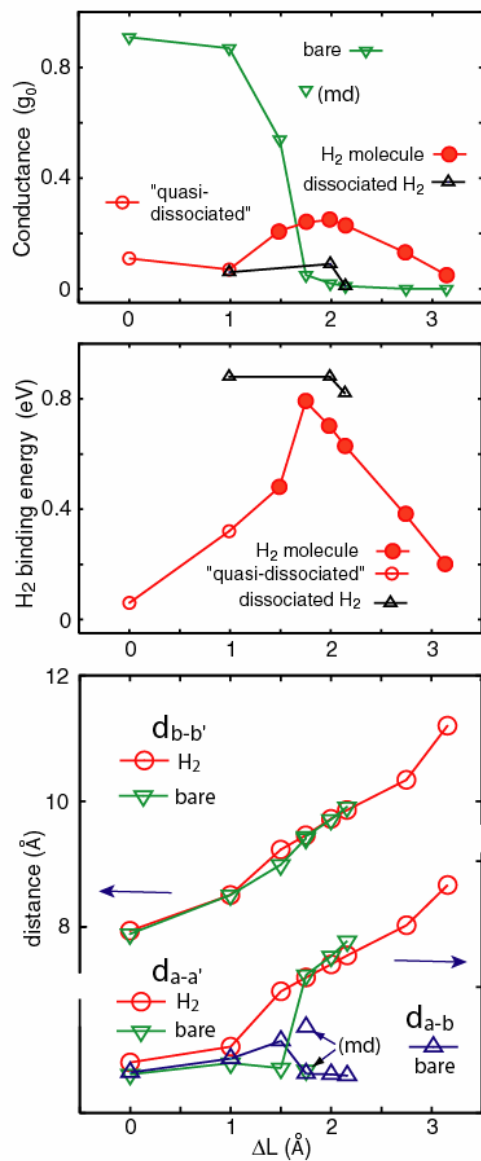
Hydrogen Welding and Hydrogen
Switches in a Monatomic Gold NanowireRobert N. Barnett, Hannu Häkkinen,[†] Andrew G. Scherbakov, and Uzi Landman^{*}

figure 4

Conductance Eigenchannels

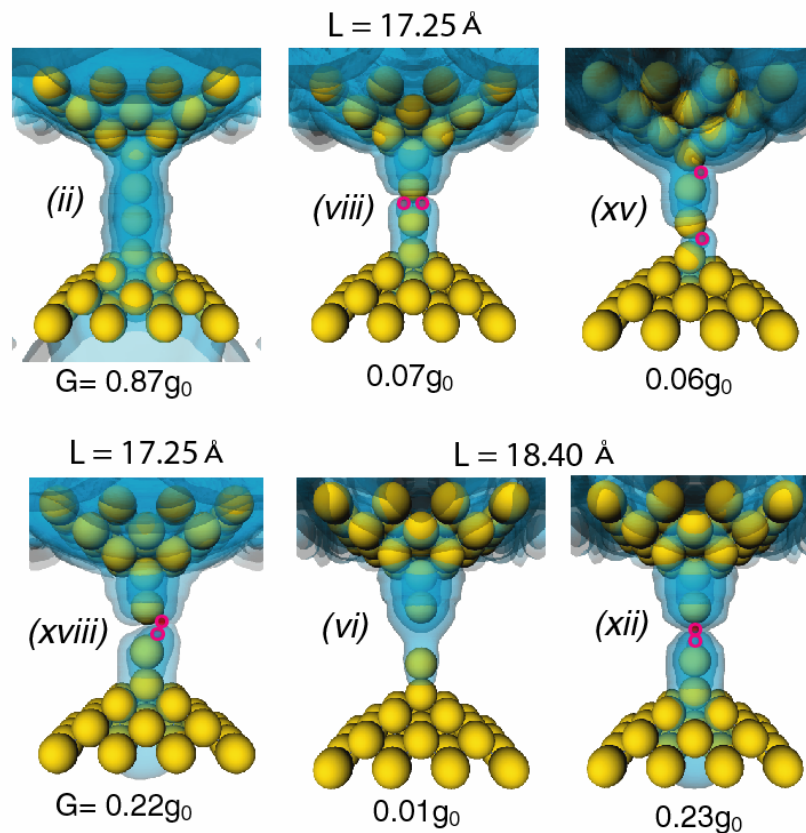
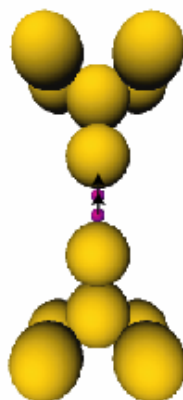


figure 7

H₂ frequencies

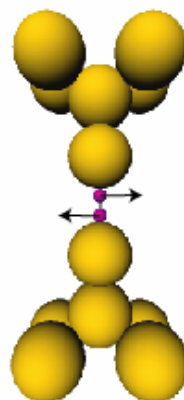
L = 18.40 (xii)

$\omega_1 = 130$ meV
 $\omega_2 = 58$ meV
 $\omega_3 = 308$ meV



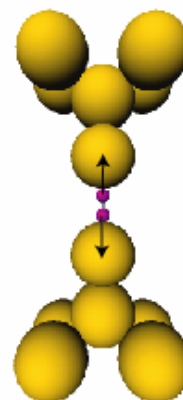
ω_1

"shuttle"



ω_2

"wobble"



ω_3

"stretch"

L = 19.00 (xiii)

$\omega_1 = 64$ meV
 $\omega_2 = 71$ meV
 $\omega_3 = 292$ meV

(H₂ stretch
 537 meV)

L = 17.25 (viii)

$\omega_1 = 148$ meV
 $\omega_2 = 104$ meV
 $\omega_3 = 205$ meV

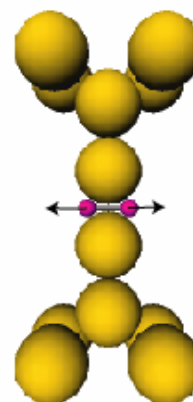
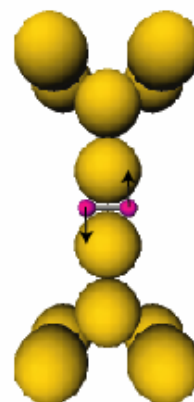
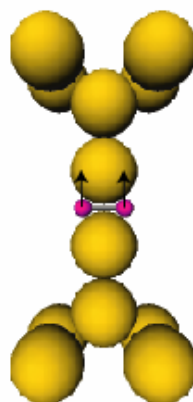


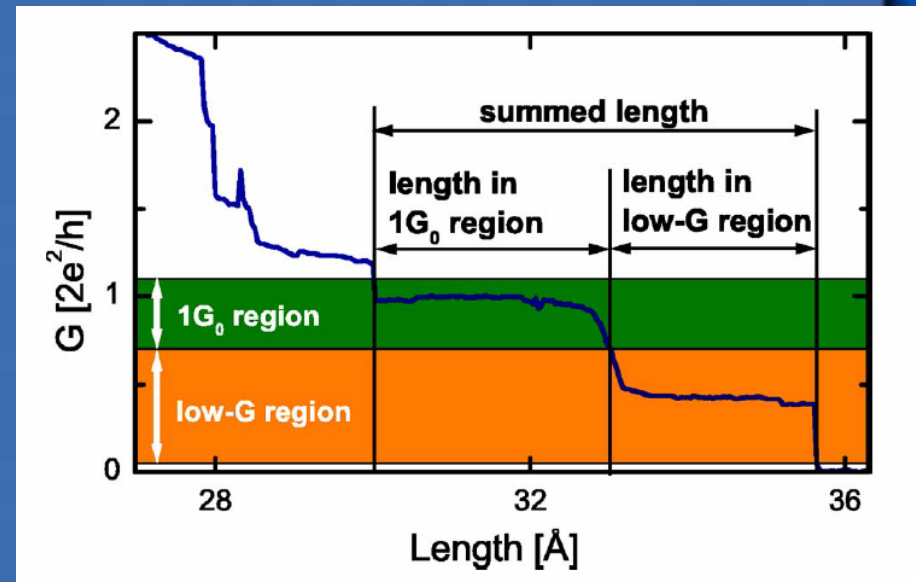
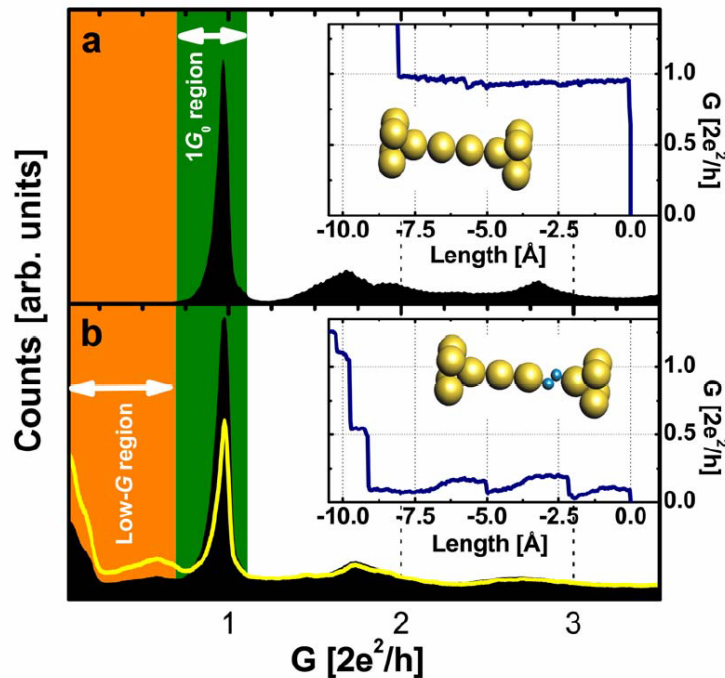
figure 8

Pulling gold nanowires with a hydrogen clamp: Strong interactions of hydrogen molecules with gold nanojunctions

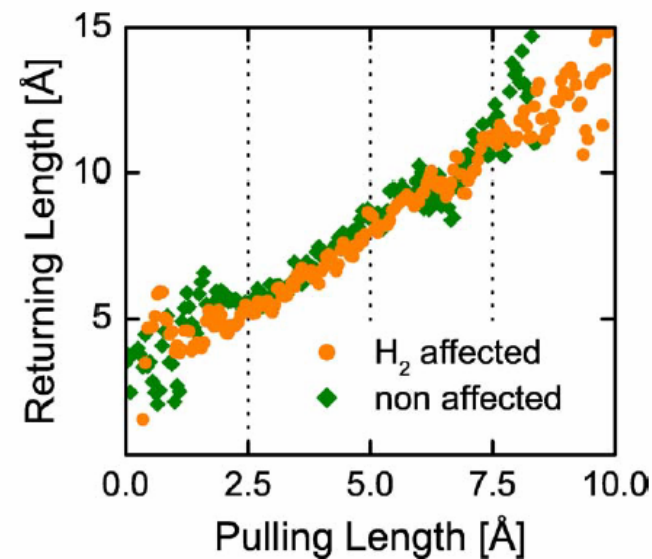
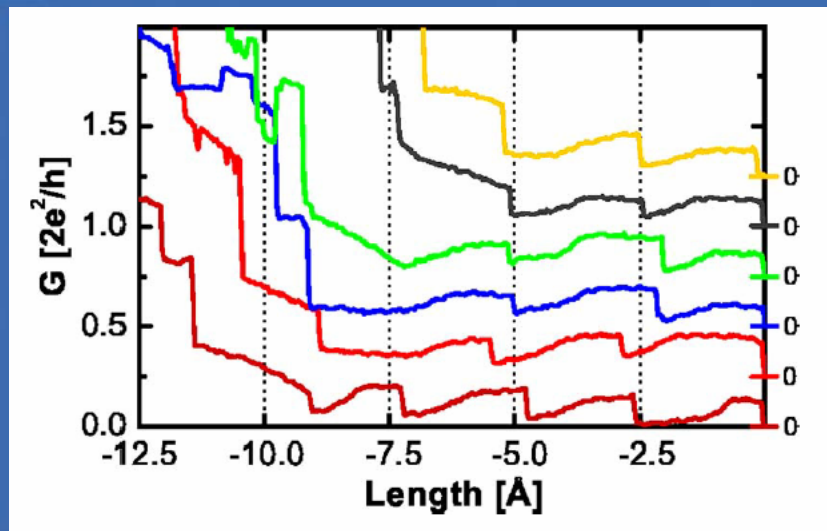
Sz. Csonka, A. Halbritter, and G. Mihály

Electron Transport Research Group of the Hungarian Academy of Sciences and Department of Physics, Budapest University of Technology and Economics, 1111 Budapest, Hungary

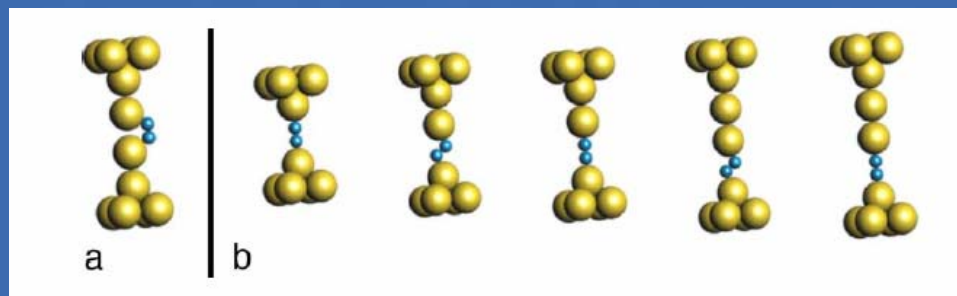
(Received 20 October 2005; revised manuscript received 29 November 2005; published 2 February 2006)



'hydrogen-affected traces'



Interpretation!



Summary

- Au nanowires and quantum point contacts offer many possibilities to study quantum phenomena up to room-T
- stiff atomic chains with near-perfect conductance of 1 unit
- structure determination: interplay between theory & exp
- contact region (<100 atoms) manageable via DFT calculations
- tendency of $\sim 1\text{nm}$ gold structures to prefer low-D & open structures partially due to relativistic bonding effects
- surprising chemistry by Au nanowires
- "sensor function" : changes in conductance upon adsorption